

EXAMPLE 2 Approximate a real-world solution

CELL PHONES Your cell phone plan costs \$49.99 per month for a given number of minutes. Each additional minute or part of a minute costs \$.40. You budgeted \$55 per month for phone costs. What are the possible additional minutes x that you can afford each month?

Solution

STEP 1 Write a verbal model. Then write an inequality.

Rate for additional time (dollars/minute)	•	Additional time (minutes)	+	Cost of phone plan (dollars)	≤	Amount budgeted (dollars)
↓		↓		↓		↓
0.40	•	x	+	49.99	≤	55

Write the inequality in the form $ax + b \leq 0$.

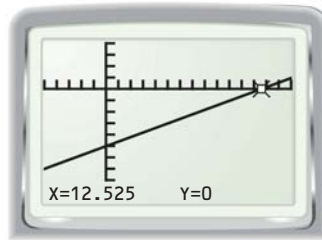
$$0.40x + 49.99 \leq 55 \quad \text{Write original inequality.}$$

$$0.40x - 5.01 \leq 0 \quad \text{Subtract 55 from each side.}$$

STEP 2 Write the related equation $y = 0.40x - 5.01$.

STEP 3 Graph the equation $y = 0.40x - 5.01$ on a graphing calculator.

Use the *trace* feature of the graphing calculator to find the x -intercept of the graph.



The inequality in Step 1 is in the form $ax + b \leq 0$, and the x -intercept is about 12.5. Because a part of a minute costs \$.40, round 12.5 down to 12 to be sure that you stay within your budget.

► You can afford up to 12 additional minutes.

PRACTICE

EXAMPLES 1 and 2

on pp. 377–378
for Exs. 1–4

Solve the inequality graphically.

1. $2x + 5 > 11$

2. $\frac{1}{2}x + 6 \leq 13$

3. $0.2x - 15.75 < 27$

4. **CABLE COSTS** Your family has a cable television package that costs \$40.99 per month. Pay-per-view movies cost \$3.95 each. Your family budgets \$55 per month for cable television costs. What are the possible numbers of pay-per-view movies that your family can afford each month?