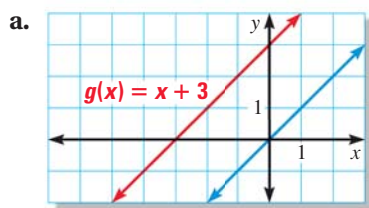


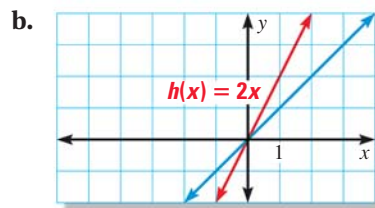
EXAMPLE 4 Compare graphs with the graph $f(x) = x$ Graph the function. Compare the graph with the graph of $f(x) = x$.

a. $g(x) = x + 3$

b. $h(x) = 2x$

Solution

Because the graphs of g and f have the same slope, $m = 1$, the lines are parallel. Also, the y -intercept of the graph of g is 3 more than the y -intercept of the graph of f .

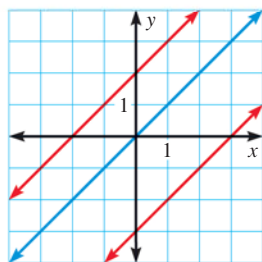


Because the slope of the graph of h is greater than the slope of the graph of f , the graph of h rises faster from left to right. The y -intercept for both graphs is 0, so both lines pass through the origin.

GUIDED PRACTICE for Example 4
3. Graph $h(x) = -3x$. Compare the graph with the graph of $f(x) = x$.**CONCEPT SUMMARY***For Your Notebook***Comparing Graphs of Linear Functions with the Graph of $f(x) = x$**

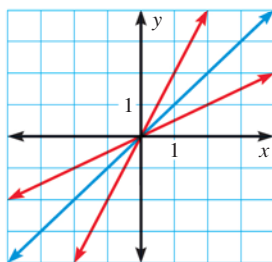
Changing m or b in the general linear function $g(x) = mx + b$ creates families of linear functions whose graphs are related to the graph of $f(x) = x$.

$g(x) = x + b$



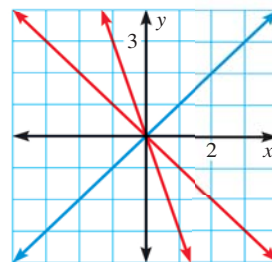
- The graphs have the same slope, but different y -intercepts.
- Graphs of this family are vertical translations of the graph of $f(x) = x$.

$g(x) = mx$ where $m > 0$



- The graphs have different (positive) slopes, but the same y -intercept.
- Graphs of this family are vertical stretches or shrinks of the graph of $f(x) = x$.

$g(x) = mx$ where $m < 0$



- The graphs have different (negative) slopes, but the same y -intercept.
- Graphs of this family are vertical stretches or shrinks with reflections in the x -axis of the graph of $f(x) = x$.