## 13.3 <br> TEKS 8.11.B <br> Find Probabilities Using Combinations

Before
Now
Why?

You used permutations to count possibilities. You will use combinations to count possibilities. So you can find the probability of an event, as in Example 3.


Key Vocabulary - combination

A combination is a selection of objects in which order is not important. For instance, in a drawing for 3 identical prizes, you would use combinations, because the order of the winners would not matter. If the prizes were different, you would use permutations, because the order would matter.

## EXAMPLE 1 Count combinations

Count the combinations of two letters from the list A, B, C, D.

## Solution

List all of the permutations of two letters in the list A, B, C, D. Because order is not important in a combination, cross out any duplicate pairs.

| AB | AC | AD | BA | BC |
| :---: | :---: | :---: | :---: | :---: |
| CA | CB' | CD | DA | (DB, - - DC |

- There are 6 possible combinations of 2 letters from the list A, B, C, D.

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AnimatedAlgebra at classzone.com
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## Guided Practice for Example 1

1. Count the combinations of 3 letters from the list A, B, C, D, E.

COMBINATIONS In Example 1, you found the number of combinations of objects by making an organized list. You can also find the number of combinations using the following formula.

## KEY CONCEPT

For Your Notebook

## Combinations

## Formula

The number of combinations of $n$ objects taken $r$ at a time, where $r \leq n$, is given by:

$$
{ }_{n} C_{r}=\frac{n!}{(n-r)!\cdot r!}
$$

## Example

The number of combinations of 4 objects taken 2 at a time is:

$$
{ }_{4} C_{2}=\frac{4!}{(4-2)!\cdot 2!}=\frac{4 \cdot 3 \cdot 2!}{2!\cdot(2 \cdot 1)}=6
$$

