

**33. (CARCE) GEOMETRY** The height *h* of a rectangular prism is given by

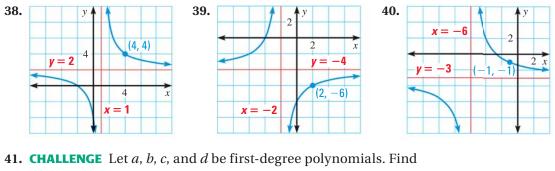
$$h = \frac{S}{2(\ell + w)} - \frac{\ell w}{\ell + w}$$

where *S* is the surface area, l is the length, and *w* is the width. Find the difference of the expressions on the right side of the equation.

**USING ORDER OF OPERATIONS** Use the order of operations to write the expression as a single rational expression.

**34.** 
$$2\left(\frac{x}{x+1}\right) - 3\left(\frac{x-4}{x+2}\right)$$
  
**35.**  $5\left(\frac{3x}{x-2} + \frac{4}{x^2+6x-16}\right)$   
**36.**  $\frac{x-3}{x^2+9x+20} + \frac{5x}{x+2} \cdot \frac{12}{x+4}$   
**37.**  $\frac{x+5}{x-9} - \frac{3x^2+2x-1}{x+4} \div \frac{x^2-3x-4}{x^2-16}$ 

**WRITING EQUATIONS** For the given hyperbola, write an equation of the form  $y = \frac{a}{b}$  where *a* and *b* are first-degree polynomials.



**41. CHALLENGE** Let *a*, *b*, *c*, and *d* be first-degree polynomials. Find two rational expressions  $\frac{a}{b}$  and  $\frac{c}{d}$  such that  $\frac{a}{b} - \frac{c}{d} = \frac{5x+7}{(x+2)(x+3)}$ .

## **PROBLEM SOLVING**

**EXAMPLE 6** on p. 815 for Exs. 42–46 **42. CANOEING** A canoeist travels 16 miles upstream (against the current) and 16 miles downstream (with the current). The speed of the current is 1 mile per hour. Write an equation that gives the total travel time *t* (in hours) as a function of the canoeist's average speed *r* (in miles per hour) in still water. Then find the total travel time if the canoeist's average speed in still water is 6 miles per hour.

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**43. DRIVING** Matt drives 200 miles to another city. On the drive back home, his average speed decreases by 5 miles per hour. Write an equation that gives the total driving time *t* (in hours) as a function of his average speed *r* (in miles per hour) when driving to the city. Then find the total driving time if he drives to the city at an average speed of 50 miles per hour.

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