- **48. SCIENCE** Between the months of April and September, the number y of hours of daylight per day in Seattle, Washington, can be modeled by  $y = -0.00046x^2 + 0.076x + 13$  where x is the number of days since April 1.
  - a. Do any of the days between April and September in Seattle have 17 hours of daylight? If so, how many?
  - **b.** Do any of the days between April and September in Seattle have 14 hours of daylight? If so, how many?
- **49. MULTI-STEP PROBLEM** During a trampoline competition, a trampolinist leaves the mat when her center of gravity is 6 feet above the ground. She has an initial vertical velocity of 32 feet per second.
  - a. Use the vertical motion model to write an equation that models the height h (in feet) of the center of gravity of the trampolinist as a function of the time *t* (in seconds) into her jump.
  - **b.** Does her center of gravity reach a height of 24 feet during the jump? If so, at what time(s)?
  - **c.** On another jump, the trampolinist leaves the mat when her center of gravity is 6 feet above the ground and with an initial vertical velocity of 35 feet per second. Does her center of gravity reach a height of 24 feet on this jump? If so, at what time(s)?



- **50. CHALLENGE** Last year, a manufacturer sold backpacks for \$24 each. At this price, the manufacturer sold about 1000 backpacks per week. A marketing analyst predicts that for every \$1 reduction in the price of the backpack, the manufacturer will sell 100 more backpacks per week.
  - **a.** Write a function that models the weekly revenue *R* (in dollars) that the manufacturer will receive for x reductions of \$1 in the price of the backpack.
  - **b.** Is it possible for the manufacturer to receive a weekly revenue of \$28,000? \$30,000? What is the maximum weekly revenue that the manufacturer can receive? Explain your answers using the discriminants of quadratic equations.

## **MIXED REVIEW FOR TAKS**

TAKS PRACTICE at classzone.com

## **REVIEW**

Lesson 5.1; TAKS Workbook

## REVIEW

**Skills Review** Handbook p. 936; TAKS Workbook

51. TAKS PRACTICE Which equation describes a line that has a slope of 3 and passes through the point (2, 5)? TAKS Obj. 3

- **(A)** y = 3x 13 **(B)** y = 3x 1 **(C)** y = 3x + 11
- **(D)** y = 5x + 3
- **52.** TAKS PRACTICE The first five numbers in a sequence are  $\frac{2}{5}$ , 1,  $\frac{5}{2}$ ,  $\frac{25}{4}$ , and  $\frac{125}{8}$ . If this pattern continues, what is the seventh number in the sequence? TAKS Obj. 10