## 9. 4 Solve Polynomial Equations in Factored Form <br> teks A.4.A, A.10.A

| Before | You solved linear equations. |
| :---: | :--- |
| Now | You will solve polynomial equations. |
| Why | So you can analyze vertical motion, as in Ex. 55. |

Key Vocabulary

- roots
- vertical motion model

In Lesson 2.4, you learned the property of zero: For any real number $a$, $a \cdot 0=0$. This is equivalent to saying:

For real numbers $a$ and $b$, if $a=0$ or $b=0$, then $a b=0$.
The converse of this statement is also true (as shown in Exercise 49), and it is called the zero-product property.

## KEY CONCEPT

## For Your Notebook

## Zero-Product Property

Let $a$ and $b$ be real numbers. If $a b=0$, then $a=0$ or $b=0$.

The zero-product property is used to solve an equation when one side is zero and the other side is a product of polynomial factors. The solutions of such an equation are also called roots.

## EXAMPLE 1 Use the zero-product property

Solve $(x-4)(x+2)=0$.

$$
\begin{array}{rlrrrl} 
& (x-4)(x+2) & =0 & & \text { Write original equation. } \\
x-4=0 & \text { or } & x+2 & =0 & & \text { Zero-product property } \\
x=4 & \text { or } & x & =-2 & & \text { Solve for } x .
\end{array}
$$

- The solutions of the equation are 4 and -2 .

CHECK Substitute each solution into the original equation to check.

$$
\begin{array}{rlrl}
(4-4)(4+2) & \stackrel{?}{=} 0 & (-2-4)(-2+2) & \stackrel{?}{=} 0 \\
0 \cdot 6 & \stackrel{?}{=} 0 & -6 \cdot 0 \stackrel{?}{=} 0 \\
0 & =0 \checkmark & 0 & =0 \checkmark
\end{array}
$$

## Guided Practice for Example 1

1. Solve the equation $(x-5)(x-1)=0$.
