

7.3 Linear Systems and Elimination



MATERIALS • algebra tiles

QUESTION How can you solve a linear system using algebra tiles?

You can use the following algebra tiles to model equations.

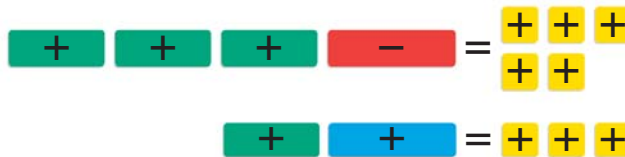


EXPLORE Solve a linear system using algebra tiles.

Solve the linear system: $3x - y = 5$ Equation 1
 $x + y = 3$ Equation 2

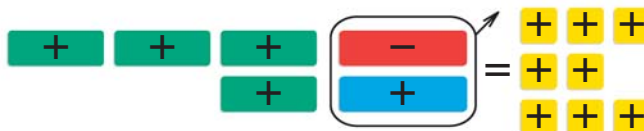
STEP 1 Model equations

Model each equation using algebra tiles. Arrange the algebra tiles so that one equation is directly below the other equation.



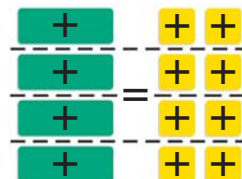
STEP 2 Add equations

Combine the two equations to form one equation. Notice that the new equation has one positive y -tile and one negative y -tile. The y -tiles can be removed because the pair of y -tiles has a value of 0.



STEP 3 Solve for x

Divide the remaining tiles into four equal groups. Each x -tile is equal to two 1-tiles. So, $x = 2$.



STEP 4 Solve for y

To find the value of y , use the model for Equation 2. Because $x = 2$, you can replace the x -tile with two 1-tiles. Solve the new equation for y . So $y = 1$, and the solution of the system is $(2, 1)$.



DRAW CONCLUSIONS Use your observations to complete these exercises

Use algebra tiles to model and solve the linear system.

- $x + 3y = 8$
 $4x - 3y = 2$
- $2x + y = 5$
 $-2x + 3y = 7$
- $5x - 2y = -2$
 $x + 2y = 14$
- $x + 2y = 3$
 $-x + 3y = 2$
- REASONING** Is it possible to solve the linear system $3x - 2y = 6$ and $2x + y = 11$ using the steps shown above? Explain your reasoning.