

EXAMPLE 6 TAKS REASONING: Multi-Step Problem

ASTRONOMY The Mars Exploration Rovers *Opportunity* and *Spirit* are robots that were sent to Mars in 2003 in order to gather geological data about the planet. The temperature at the landing sites of the robots can range from -100° C to 0° C.

- Write a compound inequality that describes the possible temperatures (in degrees Fahrenheit) at a landing site.
- Solve the inequality. Then graph your solution.
- Identify three possible temperatures (in degrees Fahrenheit) at a landing site.

Solution

Let F represent the temperature in degrees Fahrenheit, and let C represent

the temperature in degrees Celsius. Use the formula $C = \frac{5}{9}(F - 32)$.

STEP 1 Write a compound inequality. Because the temperature at a landing site ranges from -100° C to 0° C, the lowest possible temperature is -100° C, and the highest possible temperature is 0° C.

 $-100 \le C \le 0$ Write inequality using C.

 $-100 \le \frac{5}{9}(F - 32) \le 0$ Substitute $\frac{5}{9}(F - 32)$ for C.

STEP 2 **Solve** the inequality. Then graph your solution.

$-100 \le \frac{5}{9}(F - 32) \le 0$		Write inequality from Step 1.		
$-180 \le F - 32 \le 0$		Multiply each expression by $\frac{9}{5}$.		
$-148 \le F \le 32$		Add 32 to each expression.		
-148				32
-150	-100	-50	0	50

STEP 3 **Identify** three possible temperatures.

The temperature at a landing site is greater than or equal to -148°F *and* less than or equal to 32°F. Three possible temperatures are -115°F, 15°F, and 32°F.

GUIDED PRACTICE for Example 6

- 11. MARS Mars has a maximum temperature of -7° C at the equator and a minimum temperature of -133° C at the winter pole.
 - Write and solve a compound inequality that describes the possible temperatures (in degrees Fahrenheit) on Mars.
 - Graph your solution. Then identify three possible temperatures (in degrees Fahrenheit) on Mars.

ANOTHER WAY You can solve the compound inequality by multiplying through by 9: $-100 \le \frac{5}{9}(F - 32) \le 0$ $-900 \le 5(F - 32) \le 0$ $-900 \le 5F - 160 \le 0$ $-740 \le 5F \le 160$ $-148 \le F \le 32$

