COTERMINAL ANGLES In Example 1, the angles $500^{\circ}$ and $140^{\circ}$ are coterminal because their terminal sides coincide. An angle coterminal with a given angle can be found by adding or subtracting multiples of $360^{\circ}$.

## EXAMPLE 2 Find coterminal angles

Find one positive angle and one negative angle that are coterminal with (a) $-45^{\circ}$ and (b) $395^{\circ}$.

## Solution

There are many such angles, depending on what multiple of $360^{\circ}$ is added or subtracted.
a. $-45^{\circ}+360^{\circ}=315^{\circ}$
$-45^{\circ}-360^{\circ}=-405^{\circ}$
b. $395^{\circ}-360^{\circ}=35^{\circ}$ $395^{\circ}-2\left(360^{\circ}\right)=-325^{\circ}$



## Guided Practice for Examples 1 and 2

Draw an angle with the given measure in standard position. Then find one positive coterminal angle and one negative coterminal angle.

1. $65^{\circ}$
2. $230^{\circ}$
3. $300^{\circ}$
4. $740^{\circ}$
radian measure Angles can also be measured in radians. To define a radian, consider a circle with radius $r$ centered at the origin as shown. One radian is the measure of an angle in standard position whose terminal side intercepts an arc of length $r$.

Because the circumference of a circle is $2 \pi r$, there are $2 \pi$ radians in a full circle. Degree measure and radian measure are therefore related by the equation $360^{\circ}=2 \pi$ radians, or $180^{\circ}=\pi$ radians.


## Converting Between Degrees and Radians

Degrees to radians
Multiply degree measure
by $\frac{\pi \text { radians }}{180^{\circ}}$.

Radians to degrees
Multiply radian measure

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\text { by } \frac{180^{\circ}}{\pi \text { radians }} .
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