

текз а.1, а.5, а.6, 2А.2.А



Another Way to Solve Example 4, page 829

MULTIPLE REPRESENTATIONS In Example 4 on page 829, you found the number that a real-life sequence approaches over time by using a calculator to evaluate the rule for the sequence. You can also solve this problem using a graph or an algebraic method.

PROBLEM

MUSIC SERVICE An online music service initially has 50,000 annual members. Each year the music service loses 20% of its current members and adds 5000 new members. What happens to the number of members over time?

METHOD 1

Using a Graph A recursive rule for the number a_n of members at the beginning of the *n*th year is $a_1 = 50,000$, $a_n = 0.8a_{n-1} + 5000$. One alternative method for finding the number this sequence approaches is to graph the sequence on a graphing calculator.

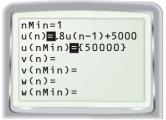
STEP 1 Set the calculator to *sequence* mode and *dot* mode.

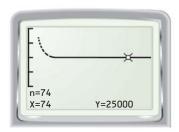


STEP 2 Press Y and enter the equations nMin = 1, u(n) = 0.8u(n - 1) + 5000, and u(nMin) = 50,000. Press **WINDOW** and enter the following parameters:

 $\begin{array}{ll} n \text{Min} = 1 & \text{Xmin} = 0 & \text{Ymin} = 15,000 \\ n \text{Max} = 100 & \text{Xmax} = 100 & \text{Ymax} = 35,000 \\ \text{PlotStart} = 1 & \text{Xscl} = 10 & \text{Yscl} = 5000 \\ \text{PlotStep} = 1 & & \end{array}$

STEP 3 Graph the sequence. Use the *trace* feature to find the value that the sequence approaches as *n* becomes large. From the graph, you can see that the sequence approaches 25,000.





• Over time, the number of members of the music service approaches 25,000.