## READING

 In the table, the value $.0000+$ means "slightly more than 0 " and the value 1.0000 - means "slightly less than 1. ."STANDARD NORMAL TABLE If $z$ is a randomly selected value from a standard normal distribution, you can use the table below to find the probability that $z$ is less than or equal to some given value. For example, the table shows that $P(z \leq-0.4)=0.3446$. You can find the value of $P(z \leq-0.4)$ in the table by finding the value where row -0 and column .4 intersect.

| Standard Normal Table |  |  |  |  |  |  |  |  |  |  |
| ---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{Z}$ | $\mathbf{. 0}$ | $\mathbf{. 1}$ | $\mathbf{. 2}$ | $\mathbf{. 3}$ | $\mathbf{. 4}$ | $\mathbf{. 5}$ | $\mathbf{. 6}$ | $\mathbf{. 7}$ | $\mathbf{. 8}$ | $\mathbf{. 9}$ |
| $\mathbf{- 3}$ | .0013 | .0010 | .0007 | .0005 | .0003 | .0002 | .0002 | .0001 | .0001 | $.0000+$ |
| $\mathbf{- 2}$ | .0228 | .0179 | .0139 | .0107 | .0082 | .0062 | .0047 | .0035 | .0026 | .0019 |
| $\mathbf{- 1}$ | .1587 | .1357 | .1151 | .0968 | .0808 | .0668 | .0548 | .0446 | .0359 | .0287 |
| $\mathbf{- 0}$ | .5000 | .4602 | .4207 | .3821 | .3446 | .3085 | .2743 | .2420 | .2119 | .1841 |
| $\mathbf{0}$ | .5000 | .5398 | .5793 | .6179 | .6554 | .6915 | .7257 | .7580 | .7881 | .8159 |
| $\mathbf{1}$ | .8413 | .8643 | .8849 | .9032 | .9192 | .9332 | .9452 | .9554 | .9641 | .9713 |
| $\mathbf{2}$ | .9772 | .9821 | .9861 | .9893 | .9918 | .9938 | .9953 | .9965 | .9974 | .9981 |
| $\mathbf{3}$ | .9987 | .9990 | .9993 | .9995 | .9997 | .9998 | .9998 | .9999 | .9999 | $1.0000-$ |

You can also use the standard normal table to find probabilities for any normal distribution by first converting values from the distribution to $z$-scores.

## EXAMPLE 3 Use a z-score and the standard normal table

BIOLOGY Scientists conducted aerial surveys of a seal sanctuary and recorded the number $x$ of seals they observed during each survey. The numbers of seals observed were normally distributed with a mean of 73 seals and a standard deviation of 14.1 seals. Find the probability that at most 50 seals were observed during a survey.

## Solution



STEP 1 Find the $z$-score corresponding to an $x$-value of 50 .

$$
z=\frac{x-\bar{x}}{\sigma}=\frac{50-73}{14.1} \approx-1.6
$$

STEP 2 Use the table to find $P(x \leq 50) \approx P(z \leq-1.6)$.
The table shows that $P(z \leq-1.6)=0.0548$. So, the probability that at most 50 seals were observed during a survey is about 0.0548 .

| $\mathbf{z}$ | $\mathbf{. 0}$ | $\mathbf{. 1}$ | $\mathbf{. 2}$ | $\mathbf{. 3}$ | $\mathbf{. 4}$ | $\mathbf{. 5}$ | $\mathbf{. 6}$ | $\mathbf{. 7}$ | $\mathbf{. 8}$ | $\mathbf{. 9}$ |
| ---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $-\mathbf{3}$ | .0013 | .0010 | .0007 | .0005 | .0003 | .0002 | .0002 | .0001 | .0001 | $.0000+$ |
| $\mathbf{- 2}$ | .0228 | .0179 | .0139 | .0107 | .0082 | .0062 | .0047 | .0035 | .0026 | .0019 |
| $-\mathbf{1}$ | .1587 | .1357 | .1151 | .0968 | .0808 | .0668 | .0548 | .0446 | .0359 | .0287 |
| $\mathbf{- 0}$ | .5000 | .4602 | .4207 | .3821 | .3446 | .3085 | .2743 | .2420 | .2119 | .1841 |
| $\mathbf{0}$ | .5000 | .5398 | .5793 | .6179 | .6554 | .6915 | .7257 | .7580 | .7881 | .8159 |

## Guided Practice for Example 3

8. WHAT IF? In Example 3, find the probability that at most 90 seals were observed during a survey.
9. REASONING Explain why it makes sense that $P(z \leq 0)=0.5$.
