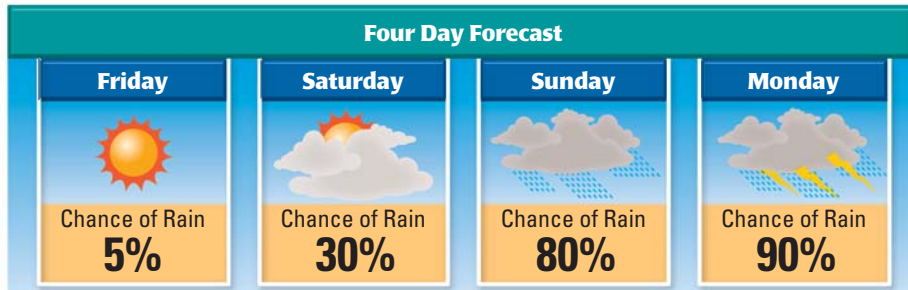


**EXAMPLES**  
**4 and 5**

on p. 709  
for Exs. 44–46

44. **TAKS REASONING** Refer to the chart below. Which of the following probabilities is greatest?
- (A)  $P(\text{rains on Sunday})$                       (B)  $P(\text{does not rain on Saturday})$   
(C)  $P(\text{rains on Monday})$                       (D)  $P(\text{does not rain on Friday})$



45. **DRAMA CLUB** The organizer of a cast party for a drama club asks each of 6 cast members to bring one food item from a list of 10 items. What is the probability that at least 2 of the 6 cast members bring the same item?
46. **HOME ELECTRONICS** A development has 6 houses with the same model of garage door opener. Each opener has 4096 possible transmitter codes. What is the probability that at least 2 of the 6 houses have the same code?
47. **TAKS REASONING** Use the given information about a farmer's tomato crop to complete parts (a)–(c).
- 40% of the tomatoes are partially rotten, 30% of the tomatoes have been fed on by insects, and 12% are partially rotten *and* have been fed on by insects. What is the probability that a randomly selected tomato is partially rotten *or* has been fed on by insects?
  - 20% of the tomatoes have bite marks from a chipmunk and 7% have bite marks *and* are partially rotten. What is the probability that a randomly selected tomato has bite marks *or* is partially rotten?
  - Suppose the farmer finds out that 6% of the tomatoes have bite marks *and* have been fed on by insects. Do you have enough information to determine the probability that a randomly selected tomato has been fed on by insects *or* is partially rotten *or* has bite marks from a chipmunk? If not, what other information do you require?
48. **MULTI-STEP PROBLEM** Follow the steps below to explore a famous probability problem called the *birthday problem*. (Assume that there are 365 possible birthdays.)
- Calculate** Suppose that 6 people are chosen at random. Find the probability that at least 2 of the people share the same birthday.
  - Calculate** Suppose that 10 people are chosen at random. Find the probability that at least 2 of the people share the same birthday.
  - Model** Generalize the results from parts (a) and (b) by writing a formula for the probability  $P(x)$  that at least 2 people in a group of  $x$  people share the same birthday. (*Hint:* Use  ${}_n P_r$  notation in your formula.)
  - Analyze** Enter the formula from part (c) into a graphing calculator. Use the *table* feature to make a table of values. For what group size does the probability that at least 2 people share the same birthday first exceed 50%?

X	Y1
1	0
2	.00274
3	.0082
4	.01636
5	.02714

Y1=0