EXAMPLE 5

on p. 5 for Exs. 25–30

OPERATIONS AND UNIT ANALYSIS Solve the problem. Use unit analysis to check your work.

- 25. You work 10 hours and earn \$85. What is your earning rate?
- 26. You travel 60 kilometers in 1.5 hours. What is your average speed?
- 27. You work for 5 hours at \$7.25 per hour. How much do you earn?
- 28. You buy 6 gallons of juice at \$1.25 per gallon. What is your total cost?
- 29. You drive for 3 hours at 65 miles per hour. How far do you go?
- **30.** You ride in a train for 175 miles at an average speed of 50 miles per hour. How many hours does the trip take?

CONVERSION OF MEASUREMENTS Perform the indicated conversion.

EXAMPLE 6 on p. 5 for Exs. 31–40

- **31.** 350 feet to yards
- **33.** 2.2 kilograms to grams
- 35. 7 quarts to gallons
- **37.** 56 ounces to tons

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- 32. 15 meters to millimeters
- **34.** 5 hours to minutes
- **36.** 3.5 tons to pounds
- 38. 6800 seconds to hours

ERROR ANALYSIS *Describe* and correct the error in the conversion.



CONVERSION OF RATES Convert the rate into the given units.

- **41.** 20 mi/h to feet per second
- **42.** 6 ft/sec to miles per hour
- **43.** 50 km/h to miles per hour **44.** 40 mi/h to kilometers per hour
- **45.** 1 gal/h to ounces per second **46.** 6 oz/sec to gallons per hour
- **47. ROCKET SLED** On a track at an Air Force base in New Mexico, a rocket sled travels 3 miles in 6 seconds. What is the average speed in miles per hour?
- **48. ELEVATOR SPEED** The elevator in the Washington Monument takes 60 seconds to rise 500 feet. What is the average speed in miles per hour?

REASONING Tell whether the statement is *always*, *sometimes*, or *never* true for real numbers *a*, *b*, and *c*. *Explain* your answer.

49. $(a + b) + c = a + (b + c)$	50. $(a \cdot b) \cdot c = a \cdot (b \cdot c)$	51. $(a - b) - c = a - (b - c)$
52. $(a \div b) \div c = a \div (b \div c)$	53. $a(b-c) = ab - ac$	54. $a(b \div c) = ab \div ac$

- **55. REASONING** Show that $\frac{a}{b} \div \frac{c}{d} = \frac{a}{c} \div \frac{b}{d}$ for nonzero real numbers *a*, *b*, *c*, and *d*. *Justify* each step in your reasoning.
- **56.** CHALLENGE Let $\frac{a}{b}$ and $\frac{c}{d}$ be two distinct rational numbers. Find the rational number that lies exactly halfway between $\frac{a}{b}$ and $\frac{c}{d}$ on a number line.