## EXAMPLE 3 Identify properties of real numbers

Identify the property that the statement illustrates.
a. $7+4=4+7$
b. $13 \cdot \frac{1}{13}=1$

## Solution

a. Commutative property of addition
b. Inverse property of multiplication

## KEY CONCEPT

## For Your Notebook

## Defining Subtraction and Division

Subtraction is defined as adding the opposite. The opposite, or additive inverse, of any number $b$ is $-b$. If $b$ is positive, then $-b$ is negative. If $b$ is negative, then $-b$ is positive.

$$
a-b=a+(-b) \quad \text { Definition of subtraction }
$$

Division is defined as multiplying by the reciprocal. The reciprocal, or multiplicative inverse, of any nonzero number $b$ is $\frac{1}{b}$.

$$
a \div b=a \cdot \frac{1}{b}, b \neq 0 \quad \text { Definition of division }
$$

## EXAMPLE 4 Use properties and definitions of operations

Use properties and definitions of operations to show that $a+(2-a)=2$. Justify each step.

## Solution

$$
\begin{aligned}
a+(2-a) & =a+[2+(-a)] & & \text { Definition of subtraction } \\
& =a+[(-a)+2] & & \text { Commutative property of addition } \\
& =[a+(-a)]+2 & & \text { Associative property of addition } \\
& =0+2 & & \text { Inverse property of addition } \\
& =2 & & \text { Identity property of addition }
\end{aligned}
$$

## GUIDED PrACTICE for Examples 3 and 4

Identify the property that the statement illustrates.
3. $(2 \cdot 3) \cdot 9=2 \cdot(3 \cdot 9)$
4. $15+0=15$
5. $4(5+25)=4(5)+4(25)$
6. $1 \cdot 500=500$

Use properties and definitions of operations to show that the statement is true. Justify each step.
7. $b \cdot(4 \div b)=4$ when $b \neq 0$
8. $3 x+(6+4 x)=7 x+6$

