41.) SWIMMING For a swimmer doing the breaststroke, the function

 $S = -241t^7 + 1060t^6 - 1870t^5 + 1650t^4 - 737t^3 + 144t^2 - 2.43t$

models the swimmer's speed S (in meters per second) during one complete stroke, where t is the number of seconds since the start of the stroke. Graph the function. According to the model, at what time during the stroke is the swimmer going the fastest?

- 42. 🐟 MULTIPLE REPRESENTATIONS You have 600 square feet of material for building a greenhouse that is shaped like half a cylinder.
 - **a.** Writing an Expression The surface area S of the greenhouse is given by $S = \pi r^2 + \pi r \ell$. Substitute 600 for *S* and then write an expression for ℓ in terms of *r*.
 - **b.** Writing a Function The volume V of the greenhouse is given by $V = \frac{1}{2}\pi r^2 \ell$. Write an equation that gives V as a polynomial function of *r* alone.
 - **c.** Graphing a Function Graph the volume function from part (b). What are the dimensions *r* and ℓ that maximize the volume of the greenhouse? What is the maximum volume?
- **43. ATEXALENDEDSPESIONSE** From 1960 to 2001, the number of students S (in thousands) enrolled in public schools in the United States can be modeled by $S = 1.64x^3 - 102x^2 + 1710x + 36,300$ where x is the number of years since 1960.
 - a. Graph the function.
 - **b.** Identify any turning points on the domain $0 \le x \le 41$. What real-life meaning do these points have?
 - c. What is the range of the function?
- 44. CHALLENGE A cylinder is inscribed in a sphere of radius 8. Write an equation for the volume of the cylinder as a function of h. Find the value of h that maximizes the volume of the inscribed cylinder. What is the maximum volume of the cylinder?





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function of the graph represented? TAKS Obj. 2

(F) y = x(G) y = |x|(H) $y = x^2$ (J) $y = x^3$



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