43. MULTI-STEP PROBLEM An ice cream shop sells the following sizes of ice cream cones: single scoop for $\$ .90$, double scoop for $\$ 1.20$, and triple scoop for $\$ 1.60$. One day, a total of 120 cones are sold for $\$ 134$, as many singlescoop cones are sold as double-scoop and triple-scoop cones combined.
a. Use a linear system and Cramer's rule to find how many of each size of cone are sold.
b. The next day, the shop raises prices by $10 \%$. As a result, the number of each size of cone sold falls by $5 \%$. What is the revenue from cone sales?
44. SCIENCE The atomic weights of three compounds are shown in the table. Use a linear system and Cramer's rule to find the atomic weights of fluorine (F), sodium $(\mathrm{Na})$, and chlorine ( Cl ).

| Compound | Formula | Atomic weight |
| :--- | :---: | :---: |
| Sodium fluoride | FNa | 42 |
| Sodium chloride | NaCl | 58.5 |
| Chlorine pentafluoride | $\mathrm{ClF}_{5}$ | 130.5 |

45. TAKS REASONING In Utah and Colorado, an area called the Dinosaur Diamond is known for containing many dinosaur fossils. The map at the right shows the towns at the four vertices of the diamond. The coordinates given are measured in miles.
a. Find the area of the top triangular region.
b. Find the area of the bottom triangular region.
c. What is the total area of the Dinosaur Diamond?

d. Describe another way in which you can divide the Dinosaur Diamond into two triangles in order to find its area.
46. CHALLENGE A farmer is fencing off a triangular region of a pasture, as shown. The area of the region should be 5000 square feet. The farmer has planted the first two fence posts at $(0,0)$ and $(100,50)$. He wants to plant the final post along his neighbor's fence, which lies on the horizontal line $y=120$. At which two points could the farmer plant the final post so that the triangular region has the desired area?


## TAKS PRACTICE at classzone.com

## MIXED REVIEW FOR TAKS

## REVIEW Lesson 1.6; <br> TAKS Workbook

## REVIEW

TAKS Preparation p. 544;

TAKS Workbook
47. taks PRACTICE Nadia's weekly salary is $\$ 390$, and she receives a $\$ 5$ bonus for each new customer she brings in. Which inequality represents the number of new customers, $c$, she needs to bring in per week to earn at least $\$ 450$ per week? TAKS Obj. 4
(A) $c<60$
(B) $c<12$
(C) $c \geq 12$
(D) $c \geq 60$
48. TAKS PRACTICE How many edges does the pentagonal prism have? TAKS Obj. 7
(F) 7
(G) 10
(H) 15
(J) 17

