## Example 3 TAKS PRACTICE: Multiple Choice

To raise money for new football uniforms, your school sells silk-screened T-shirts. Short sleeve T-shirts cost the school \$8 each and are sold for \$11 each. Long sleeve T-shirts cost the school \$10 each and are sold for \$16 each. The school spends a total of $\$ 3900$ on T-shirts and sells all of them for $\$ 5925$. How many of the short sleeve T-shirts are sold?
(A) 75
(B) 150
(C) 175
(D) 250

## Solution

STEP 1 Write verbal models for this situation.
Equation 1

| Short sleeve cost <br> (dollars/shirt) |  | Short sleeve shirts (shirts) | + | Long sleeve cost <br> (dollars/shirt) | - | Long sleeve shirts (shirts) | $=$ | Total cost (dollars) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| - |  |  |  | , |  | - |  |  |
| 8 |  | $\boldsymbol{x}$ | + | 10 | - | $y$ | $=$ | 3900 |

## Equation 2



STEP 2 Write a system of equations.

$$
\begin{array}{lll}
\text { Equation } 1 & 8 x+10 y=3900 & \text { Total cost for all T-shirts } \\
\text { Equation } 2 & 11 x+16 y=5925 & \text { Total revenue from T-shirts sold }
\end{array}
$$

STEP 3 Solve the system using the elimination method.
Multiply Equation 1 by $\mathbf{- 1 1}$ and Equation 2 by $\mathbf{8}$ so that the coefficients of $x$ differ only in sign.

$$
\begin{array}{rlrl}
8 x+10 y=3900 & \times-11 & -88 x-110 y & =-42,900 \\
11 x+16 y=5925 & \times 8 & 88 x+128 y & =47,400 \\
\text { Add the revised equations and solve for } y . & 18 y & =4500 \\
y & =250
\end{array}
$$

Substitute the value of $y$ into one of the original equations and solve for $x$.

$$
\begin{aligned}
8 x+10 y & =3900 & & \text { Write Equation } \mathbf{1} . \\
8 x+10(250) & =3900 & & \text { Substitute } 250 \text { for } y . \\
8 x+2500 & =3900 & & \text { Simplify. } \\
x & =175 & & \text { Solve for } x .
\end{aligned}
$$

The school sold 175 short sleeve T-shirts and 250 long sleeve T-shirts.

- The correct answer is C. (A) (B) (C)

