



EXAMPLE 4 TAKS PRACTICE: Multiple Choice

You ride an express bus from the center of town to your street. You have two payment options. Option A is to buy a monthly pass and pay \$.75 per ride. Option B is to pay \$2 per ride. A monthly pass costs \$25. After how many rides will the total costs of the two options be the same?

- (A) 10 rides (B) 20 rides (C) 24 rides (D) 28 rides

Solution

Equation 1 (Option A)

Total cost (dollars)	=	Cost per ride (dollars/ride)	•	Number of rides (rides)	+	Monthly fee (dollars)
y	=	0.75	•	x	+	25

Equation 2 (Option B)

Total cost (dollars)	=	Cost per ride (dollars/ride)	•	Number of rides (rides)
y	=	2	•	x

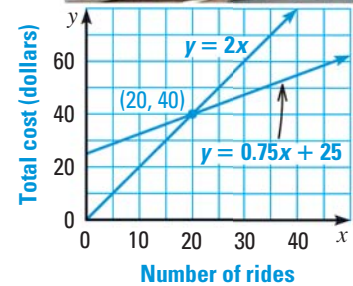


To solve the system, graph the equations $y = 0.75x + 25$ and $y = 2x$, as shown at the right.

Notice that you need to graph the equations only in the first quadrant because only nonnegative values of x and y make sense in this situation.

The lines appear to intersect at the point (20, 40). You can check this algebraically as follows.

$40 = 0.75(20) + 25$ ✓ Equation 1 checks.
 $40 = 2(20)$ ✓ Equation 2 checks.



► The total costs are equal after 20 rides.

The correct answer is B. (A) (B) (C) (D)



GUIDED PRACTICE for Examples 2, 3, and 4

Solve the system. Then classify the system as *consistent and independent*, *consistent and dependent*, or *inconsistent*.

4. $2x + 5y = 6$ 5. $3x - 2y = 10$ 6. $-2x + y = 5$
 $4x + 10y = 12$ $3x - 2y = 2$ $y = -x + 2$

7. **WHAT IF?** In Example 4, suppose the cost of the monthly pass is increased to \$36. How does this affect the solution?